

Formulas and Tables by Mario F. Triola

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Ch. 3: Descriptive Statistics	Ch. 7: Confidence Intervals (one population)
$\bar{x} = \frac{\sum x}{n} \quad \text{Mean}$ $\bar{x} = \frac{\sum (f \cdot x)}{\sum f} \quad \text{Mean (frequency table)}$ $s = \sqrt{\frac{\sum (x - \bar{x})^2}{n - 1}} \quad \text{Standard deviation}$ $s = \sqrt{\frac{n(\sum x^2) - (\sum x)^2}{n(n - 1)}} \quad \text{Standard deviation (shortcut)}$ $s = \sqrt{\frac{n[\sum (f \cdot x^2)] - [\sum (f \cdot x)]^2}{n(n - 1)}} \quad \text{Standard deviation (frequency table)}$ <p>variance = s^2</p>	$\hat{p} - E < p < \hat{p} + E \quad \text{Proportion}$ <p style="text-align: center;">where $E = z_{\alpha/2} \sqrt{\frac{\hat{p}\hat{q}}{n}}$</p> <hr/> $\bar{x} - E < \mu < \bar{x} + E \quad \text{Mean}$ <p style="text-align: center;">where $E = t_{\alpha/2} \frac{s}{\sqrt{n}}$ (σ unknown)</p> <p style="text-align: center;">or $E = z_{\alpha/2} \frac{\sigma}{\sqrt{n}}$ (σ known)</p> <hr/> $\frac{(n - 1)s^2}{\chi^2_R} < \sigma^2 < \frac{(n - 1)s^2}{\chi^2_L} \quad \text{Variance}$
Ch. 4: Probability	Ch. 7: Sample Size Determination
$P(A \text{ or } B) = P(A) + P(B) \quad \text{if } A, B \text{ are mutually exclusive}$ $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B) \quad \text{if } A, B \text{ are not mutually exclusive}$ $P(A \text{ and } B) = P(A) \cdot P(B) \quad \text{if } A, B \text{ are independent}$ $P(A \text{ and } B) = P(A) \cdot P(B A) \quad \text{if } A, B \text{ are dependent}$ $P(\bar{A}) = 1 - P(A) \quad \text{Rule of complements}$ ${}_nP_r = \frac{n!}{(n - r)!} \quad \text{Permutations (no elements alike)}$ $\frac{n!}{n_1! n_2! \dots n_k!} \quad \text{Permutations } (n_1 \text{ alike, } \dots)$ ${}_nC_r = \frac{n!}{(n - r)! r!} \quad \text{Combinations}$	$n = \frac{[z_{\alpha/2}]^2 0.25}{E^2} \quad \text{Proportion}$ $n = \frac{[z_{\alpha/2}]^2 \hat{p}\hat{q}}{E^2} \quad \text{Proportion } (\hat{p} \text{ and } \hat{q} \text{ are known)}$ $n = \left[\frac{z_{\alpha/2} \sigma}{E} \right]^2 \quad \text{Mean}$
Ch. 5: Probability Distributions	Ch. 8: Test Statistics (one population)
$\mu = \sum [x \cdot P(x)] \quad \text{Mean (prob. dist.)}$ $\sigma = \sqrt{\sum [x^2 \cdot P(x)] - \mu^2} \quad \text{Standard deviation (prob. dist.)}$ $P(x) = \frac{n!}{(n - x)! x!} \cdot p^x \cdot q^{n-x} \quad \text{Binomial probability}$ $\mu = n \cdot p \quad \text{Mean (binomial)}$ $\sigma^2 = n \cdot p \cdot q \quad \text{Variance (binomial)}$ $\sigma = \sqrt{n \cdot p \cdot q} \quad \text{Standard deviation (binomial)}$ $P(x) = \frac{\mu^x \cdot e^{-\mu}}{x!} \quad \text{Poisson distribution where } e = 2.71828$	$z = \frac{\hat{p} - p}{\sqrt{\frac{pq}{n}}} \quad \text{Proportion—one population}$ $t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} \quad \text{Mean—one population } (\sigma \text{ unknown})$ $z = \frac{\bar{x} - \mu}{\frac{\sigma}{\sqrt{n}}} \quad \text{Mean—one population } (\sigma \text{ known})$ $\chi^2 = \frac{(n - 1)s^2}{\sigma^2} \quad \text{Standard deviation or variance—one population}$
Ch. 6: Normal Distribution	
$z = \frac{x - \mu}{\sigma} \text{ or } \frac{x - \bar{x}}{s} \quad \text{Standard score}$ $\mu_{\bar{x}} = \mu \quad \text{Central limit theorem}$ $\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}} \quad \text{Central limit theorem (Standard error)}$	